LOYOLA COLLEGE (AUTONOMOUS), CHENNAI - 600 034

M.Sc. DEGREE EXAMINATION - MATHEMATICS

FIRSTSEMESTER – APRIL 2017

16PMT1MC04- COMPUTER ALGORITHMS

Date: 04-05-2017 TIME 09:00-12:00

Answer ALL the Questions:

1. a) Explain the pseudo code convention to describe loop structures.

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b) Define the terms Adjacency lists and Adjacency multilist. Obtain the Adjacency lists and Adjacency multilist for the following graph.

c) Define a stack and a circular queue. State procedures to add and delete an item from a stack and a circular queue. (15)

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d) Give HEAPSORT to sort numbers in an array. Simulate i	con
A(1:6) = (14, 17, 25, 12, 13, 17).	

- 2. a) Write the control abstraction for DIVIDE and CONQUER strategy. (5) OR
 - b) Draw the tree of calls of MERGE and MERGESORT when n = 10. (5)
 - c) State algorithm QUICKSORT. Simulate it on A(1:8) = (65, 70, 75, 80, 60, 55, 50, 45). (15)
 - OR d) Write algorithm PARTITION. Simulate it on A(1:15) = (33, 15, 22, 67, 78, 12, 100, 80, 40, 10, 99, 29, 51, 77, 30). (15)
- 3. a) Explain Job sequencing problem with deadlines. OR
 - b) Give an algorithm to generate a 2-way merge tree. (5) c) State procedure GREEDY-KNAPSACK. If $p_1/w_1 \ge p_2/w_2 \ge \cdots \ge p_n/w_n$, then prove that the algorithm GREEDY-KNAPSACK generates an optimal solution to given instance of the knapsack problem. (15)
 - OR d) Explain the optimal storage on tapes problem. With usual notations, prove that if $l_1 \le l_2 \le \dots \le l_m$, then the ordering $i_j = j$, $1 \le j \le n$ minimizes $\sum_{i=1}^n \sum_{j=1}^k l_{i_j}$ overall possible permutations of i_j . (15)

4. a) Give two different formulation for sum of subsets problem.



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Max.: 100 Marks

(5)

(15)

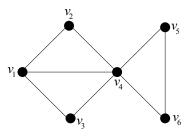
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	b) Explain the postorder traversal with an example.c) Explain in detail the 4-queens problem. Give a backtracking algorithm to solve the <i>n</i>-queens problem.	(5) (15)	
	d) State procedure Breadth first search and Depth first search.	(15)	
5.	a) Give a non-deterministic sort algorithm.	(5)	
	OR b) Define the terms 'Polynomially solvable' and 'NP-complete'.	(5)	
	c) Explain the node cover decision problem with an example. Determine the minimum the following graph.		



Prove that the node cover decision problem is NP-Complete. OR (15)

d) What is satisfiability problem? State Cook's theorem. Prove that CNF-satisfiability reduces to clique decision problem. (15)

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